

goal: show that some languages that are not computable.

✓ is denumerable.

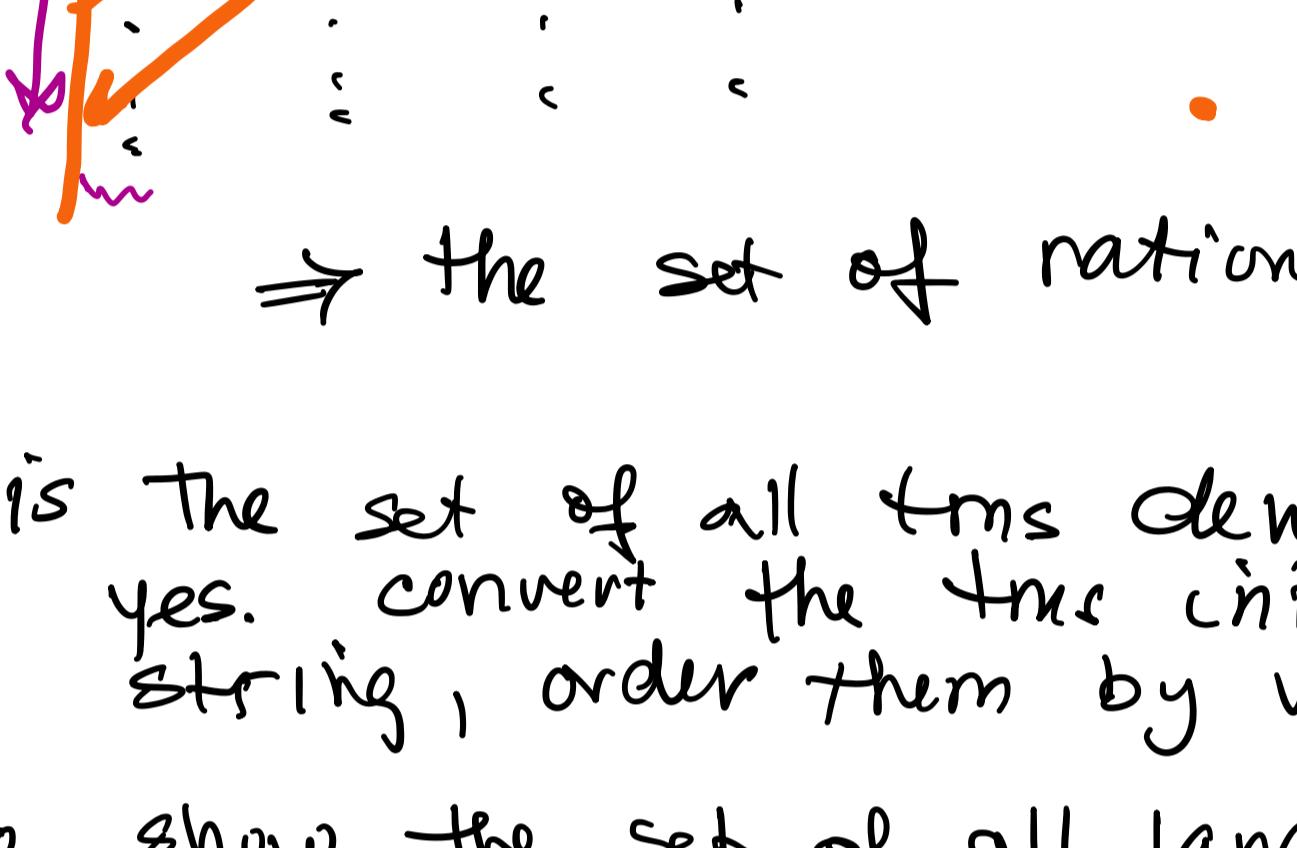
3.  $\Rightarrow$   $\exists$  more languages than

That is computable can be computed by a TM.

5.  $\therefore \exists$  languages that are not computable

A hand-drawn diagram of a bridge deck. The top chord is a green line, and the bottom chord is an orange line. The bottom chord is labeled with Roman numerals: I, II, III, and IV. A green arrow points to the right at the end of the bridge.

$\gamma_1, \gamma_2, \gamma_3, \gamma_4, \gamma_5, \dots$



The set of all languages is not enumerable.

proof by contradiction.

proof by contradiction.  
Assume reals  $(\mathbb{R}, \mathcal{I})$  are denumerable.

$$\begin{array}{c|cc} 1 & 0.13574\dots \\ \hline 2 & 0.25863\dots \\ \hline & \vdots & \vdots \end{array}$$

$$r_{\text{new}} = 0.26 \dots$$

new  
≡ in row & comprehension list.

$\exists r_{\text{newnew}}$  .  
 $\therefore$  reals are not den

$$\{1, 2, 3\} \quad P(S) =$$

g g a g, g b g,

$\{a, ab, ba\}, \{a, aa, aaa\}$

$$P(s_d) = \{ 10000\dots, 01000\dots, 001000\dots, 1001100\dots, \dots \}$$

is the power set of a denumerable set,  
denumerable = no

—  
Assume is denurable  
as  $\vdash P$

1		1	0	0	0...
2		0	1	0	00...
3		0	0	1	000...
4		1	1	0	0...

$$p_{new} = 00001$$

new & list

-! assumption incorrect  
and power set of denumerable  
is not denumerable.